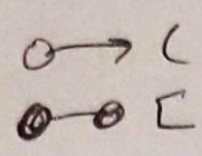


Eda keshun Pd 5

-16 + 24 initial h Extraneous Cheek, no rad. fracs.

$$\frac{-b \pm \sqrt{b^2 - 4ac}}{2a} = x$$

$b^2 - 4ac \geq 0$ 2 soln
 $b^2 - 4ac < 0$ 2 imaginary
 > 0 2 real



R = S - P

$$a(x-h)^2 + k = y$$

$$ax + by = c$$

$$a(x-p)(x-q) = y$$

$$a^3 - b^3 = (a-b)(a^2 + ab + b^2)$$

$$(a-b)^2 = a^2 - 2ab + b^2$$

$$a^3 + b^3 = (a+b)(a^2 - ab + b^2)$$

$$(a+b)^2 = a^2 + 2ab + b^2$$

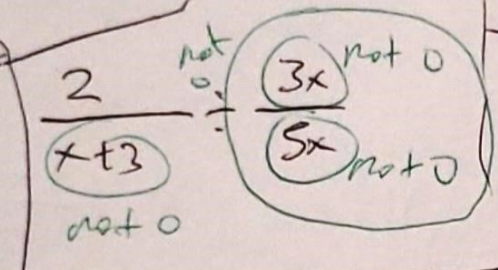
even $f(x)$: $f(-x) = f(x)$
 odd $f(x)$: $f(-x) = -f(x)$
 even exp: bounce
 odd exp: cross

Vertex: (h, k)
 Domain
 Restrictions:

	horiz asymptote	vertical asymptote
$\frac{a}{x-h} + k$	$y = k$	$x = h$
$\frac{ax+b}{cx+d}$	$y = \frac{a}{c}$	$y = -\frac{d}{c}$
$\frac{a}{x}$	x -axis	y -axis

Direct
 $y = ax$
 $\frac{y}{x} = a$

Inverse
 $y = \frac{a}{x}$
 $yx = a$



68%
 95%
 99.7%

- Method of Data Collection
- Experiment
 - Observational study
 - Survey
 - Simulation
- Types of Data
- Self selected sample
 - Systematic sample
 - Stratified sample
 - Cluster sample
 - Convenience sample

Rational Roots theorem

$x^3 + 20 = \pm \frac{p}{q}$

q p

1 20

5-4

5-2-2

1 0 0 20 possible

mmms 0

↓
 make into polynomial then factor the polynomial

$N \pm 2\sigma$ = data value

Pop: population

Sample: Statistic

Exp Growth/Decay

$$y = a(1 \pm r)^t$$

Compound Interest

$$A = P(1 \pm \frac{r}{n})^{nt}$$

r: rate

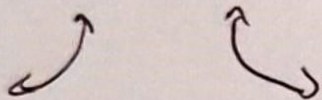
n: compounding

t: time

Continuously Compounded Interest

$$A = Pe^{rt}$$

$$r > 0 \quad r < 0$$



$$y = ab^x \quad \begin{array}{l} \text{log base} \\ \text{of } y \text{ is} \\ \text{equal to } x \end{array}$$
$$\log_b y = x$$

$$b^{\log_b x} = y \quad \log_b b^x$$

$$x = y \quad x = y$$

$$\log_b x = \frac{\log_{10} x}{\log_{10} b}$$

$$a^m a^n = a^{m+n}$$

$$a^m / a^n = a^{m-n}$$

$$(a^m)^n = a^{mn}$$

$$\log_b mn = \log_b m + \log_b n$$

$$\log_b \frac{m}{n} = \log_b m - \log_b n$$

$$\log_b m^n = n \log_b (m)$$

Explicit Forms:

Arithmetic: $a_1 + d(n-1)$ Linear

Geometric: $a_1(r)^{n-1}$ Exponential

Arithmetic

Geometric

$n(\text{finite})$

$$\frac{n}{2}(a_1 + a_n)$$

$n(\infty)$

No SOL

$n(\text{finite})$

$$a_1 \left(\frac{1-r^n}{1-r} \right)$$

$n(\infty)$

if $(r < 1)$:

Sequence converges to

$$\frac{a_1}{1-r}$$

else if $(r \geq 1)$:

Sequence diverges (forever)